## PHY335 Spring 2022 Lecture 3



## Valence electrons

The electrons in the outermost shell of an atom are called valence electrons.


They determine the chemical but also the electrical properties of the material.

## Energy levels



## Energy levels



## Energy levels



## Energy levels



## Insulator and conductors

E

Conduction

Conduction


Insulator
Conductor

## Fermi Level

At absolute zero, $\mathrm{T}=0 \mathrm{~K}$, electrons have a maximum energy called the Fermi level, $E_{F}$. At higher temperatures, higher levels can be occupied, according to the Fermi function.


## Semiconductor



## Doping

- Gap for semiconductors $\sim \mathrm{eV}, k_{B} T \sim 26 \mathrm{meV}$ at room temperature, so very few electron/hole pairs


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- Gap for semiconductors $\sim \mathrm{eV}, k_{B} T \sim 26 \mathrm{meV}$ at room temperature, so very few electron/hole pairs
- We can add electrons / holes by doping the semiconductor (with elements of the 3th/5th group)
- n-doped: Additional electrons from donor atoms with $E_{F}$ close to the conduction band. Electrons majority carrier, holes minority.
- p-doped: Additional holes from acceptor atoms with $E_{F}$ close to the valence band. Holes majority carrier, electrons minority.


## Doped semiconductor



## Conduction


p-type

## pn Junction

E

n-type
p-type

## pn Junction



Electrons drift $\mathrm{n} \rightarrow \mathrm{p}$ recombine, form ions This produces an E-field, levels shift.

## Reverse bias



## Reverse bias



If an external voltage is applied, + to $n$, - to $p$
the bands shift more, no current can flow

## Forward bias



## Forward bias



If an external voltage is applied,

+ to p , - to n
the bands shift back, current can flow


## Some formulas

- Forward current $I_{F}$ : Thermally excited electrons/holes can pass the barrier
- Reverse current $I_{R}$ : Minority carriers are swept through the depletion region
(Both are defined from p to n !)
No bias voltage:

$$
I=I_{F, 0}+I_{R, 0}=0
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$$

Reverse Bias: Harder to have enough energy for $I_{F}, I_{R}$ unaffected

$$
I=I_{F}+I_{R} \approx I_{F, 0} e^{-\frac{e V}{k_{B} T}}+I_{R}=I_{R}
$$

Forward Bias: Easier to have enough energy:

$$
I \approx I_{F, 0} e^{\frac{e V}{k_{B} T}}+I_{R, 0}
$$

## Ideal diode equation

Define saturation/scale current

$$
I_{S}=I_{F, 0}=-I_{R, 0}
$$

Ideal Diode equation (Schokley):

$$
I=I_{S}\left(e^{\frac{e V}{k_{B} T}}-1\right)
$$

where voltage V is positive when "plus" is connected to p

## Diode I-V



## Reverse breakdown

- Zener breakdown: Enough field to rip electrons out of valence bounds.
- Avalanche: electrons gain enough energy during drift that they knock out more electrons.
This is used in Zener diodes ( $<8 \mathrm{~V}$ mostly Zener, $>8 \mathrm{~V}$ mostly Avalanche)


## Useful approximations we will use

- For an applied voltage between reverse breakdown and $V_{F}$ (the "knee", diode forward voltage drop), there is no current.
- For voltages outside the band, the current is so that the voltage is reduced to the border values.
- Typical $V_{F}$ is $0.6-0.7 \mathrm{~V}$ for standard pn -diodes


## Some diode applications

Diodes as voltage references


Current $I_{D}$ so that $V_{D}=0.6 \mathrm{~V}$ :

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Diodes as voltage references


Current $I_{D}$ so that $V_{D}=0.6 \mathrm{~V}$ :
$V_{R}=10 \mathrm{~V}-0.6 \mathrm{~V}=9.4 \mathrm{~V}, I_{R}=I_{D}=\frac{9.4 \mathrm{~V}}{100 \Omega}=94 \mathrm{~mA}$
With load: $V_{L}=0.6 \mathrm{~V}$ as long as $R_{L}>\frac{0.6 \mathrm{~V}}{94 m A}=6.4 \Omega$

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## Voltage clamping



$$
V_{\text {out }}=\min \left(0.6 \mathrm{~V}, V_{\text {in }}\right)
$$

## Voltage clamping



$$
V_{\text {out }}=\min \left(V_{\text {clamp }}+0.6 \mathrm{~V}, V_{\text {in }}\right)
$$

## Zener diode in reverse



Current $I_{D}$ so that $V_{D}=5 V$ :

## Zener diode in reverse



Current $I_{D}$ so that $V_{D}=5 \mathrm{~V}$ :
$V_{R}=10 \mathrm{~V}-5 \mathrm{~V}=5 \mathrm{~V}, I_{R}=I_{D}=\frac{5 \mathrm{~V}}{100 \Omega}=50 \mathrm{~mA}$
With load: $V_{L}=5 \mathrm{~V}$ as long as $R_{L}>\frac{5 \mathrm{~V}}{50 \mathrm{~mA}}=100 \Omega$

## Zener diode in reverse



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Compare to a resistive divider: $R_{2}=100 \Omega, R_{L}$ of $100 \Omega$ would change $V_{L}$ by $\sim 2 \mathrm{~V}$ !

## Zener diode in reverse



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With load: $V_{L}=5 \mathrm{~V}$ as long as $R_{L}>\frac{5 \mathrm{~V}}{50 \mathrm{~mA}}=100 \Omega$
Compare to a resistive divider: $R_{2}=100 \Omega, R_{L}$ of $100 \Omega$ would change $V_{L}$ by $\sim 2 \mathrm{~V}$ !
Zener can be very useful for voltage clamps!

## Half-wave rectifier



## Half-wave rectifier



## Full-wave rectifier




## Buffer capacitor



If $R C \gg T / 2, V_{\text {out }}$ between $V_{\max }$ and $V_{\max }-V_{\text {ripple }}$


## Ripple

If $V_{\text {ripple }}$ is small compared to $V_{\text {max }}, I \sim$ constant,

$$
V_{\text {ripple }} \approx \frac{1}{C} \Delta T \approx \frac{1}{C} \frac{T}{2}=\frac{V_{\max }}{R C} \frac{T}{2}
$$

## Light emitting diodes



- The forward current has electrons fall into holes at the np interface layer. The energy of the electrons is released in the form of photons.
- The frequency of that light depends on the energy: $E=\hbar f$. This roughly aligns LED color with $V_{f}$ : red ( $610-760 \mathrm{~nm}$ ): $1.6-2 \mathrm{~V}$, to violet ( $400-450 \mathrm{~nm}$ ) 2.8-4V
- White LED: either RGB, or blue/violet with white phosphor (like CFL)


## LED II



- They burn out quickly if the current is too high (the junction gets too hot). That's why you need to limit the current. Mostly: Resistor
- Example: 5V, red LED. Resistor needs to drop 3.4V at 15 mA , so $226 \Omega$ in series

